$\qquad$

# Describing Motion Verbally with Distance and Displacement 

Read from Lesson 1 of the 1-D Kinematics chapter at The Physics Classroom:

> http://www.physicsclassroom.com/Class/1DKin/U1L1a.html http://www.physicsclassroom.com/Class/1DKin/U1L1b.html http://www.physicsclassroom.com/Class/1DKin/U1L1c.html

## MOP Connection: Kinematic Concepts: sublevels 1 and 2

Motion can be described using words, diagrams, numerical information, equations, and graphs. Using words to describe the motion of objects involves an understanding of such concepts as position, displacement, distance, rate, speed, velocity, and acceleration.

## Vectors vs. Scalars

1. Most of the quantities used to describe motion can be categorized as either vectors or scalars. $A$ vector is a quantity which is fully described by both magnitude and direction. A scalar is a quantity which is fully described by magnitude alone. Categorize the following quantities by placing them under one of the two column headings.
displacement, distance, speed, velocity, acceleration

2. A quantity which is ignorant of direction is referred to as a $\qquad$ _.
a. scalar quantity
b. vector quantity
3. A quantity which is conscious of direction is referred to as a $\qquad$ .
a. scalar quantity
b. vector quantity

## Distance vs. Displacement

As an object moves, its location undergoes change. There are a two quantities which are used to describe the changing location. One quantity - distance - accumulates the amount of total change of location over the course of a motion. Distance is the amount of ground which is covered. The second quantity displacement - only concerns itself with the initial and final position of the object. Displacement is the overall change in position of the object from start to finish and does not concern itself with the accumulation of distance traveled during the path from start to finish.
4. True or False: An object can be moving for 10 seconds and still have zero displacement.
a. True
b. False
5. If the above statement is true, then describe an example of such a motion. If the above statement is false, then explain why it is false.
6. Suppose that you run along three different paths from location A to location B. Along which path(s) would your distance traveled be different than your displacement?

Path 1


Path 2


Path 3


## Motion in One Dimension

7. You run from your house to a friend's house that is 3 miles away. You then walk home.

a. What distance did you travel? $\qquad$
b. What was the displacement for the entire trip? $\qquad$
Observe the diagram below. A person starts at A, walks along the bold path and finishes at B. Each square is 1 km along its edge. Use the diagram in answering the next two questions.
8. This person walks a distance of $\qquad$ km.
9. This person has a displacement of $\qquad$ km.
a. 0 km
b. 3 km
c. $3 \mathrm{~km}, \mathrm{E}$
d. $3 \mathrm{~km}, \mathrm{~W}$
e. 5 km
f. $5 \mathrm{~km}, \mathrm{~N}$
g. $5 \mathrm{~km}, \mathrm{~S}$
h. 6 km
i. $6 \mathrm{~km}, \mathrm{E}$ j. $6 \mathrm{~km}, \mathrm{~W}$
k. 31 km
10. $31 \mathrm{~km}, \mathrm{E}$
m. $31 \mathrm{~km}, \mathrm{~W}$
n. None of these.

11. A cross-country skier moves from location $A$ to location $B$ to location $C$ to location D. Each leg of the back-and-forth motion takes 1 minute to complete; the total time is 3 minutes.

a. What is the distance traveled by the skier during the three minutes of recreation?
b. What is the net displacement of the skier during the three minutes of recreation?
c. What is the displacement during the second minute (from 1 min . to 2 min. )?
d. What is the displacement during the third minute (from 2 min . to 3 min .)?
$\qquad$

## Describing Motion Verbally with Speed and Velocity

Read from Lesson 1 of the 1-D Kinematics chapter at The Physics Classroom:
http://www.physicsclassroom.com/Class/1DKin/U1L1d.html
MOP Connection: Kinematic Concepts: sublevels 3 and 6

## Review:

1. A $\qquad$ quantity is completely described by magnitude alone. A $\qquad$ quantity is completely described by a magnitude with a direction.
a. scalar, vector
b. vector, scalar
2. Speed is a $\qquad$ quantity and velocity is a $\qquad$ quantity.
a. scalar, vector
b. vector, scalar

## Speed vs. Velocity

Speed and velocity are two quantities in Physics which seem at first glance to have the same meaning. While related, they have distinctly different definitions. Knowing their definitions is critical to understanding the difference between them.

Speed is a quantity which describes how fast or how slow an object is moving.
Velocity is a quantity which is defined as the rate at which an object's position changes.
3. Suppose you are considering three different paths (A, B and C) between the same two locations.


Path B


Path C


Along which path would you have to move with the greatest speed to arrive at the destination in the same amount of time? $\qquad$ Explain.
4. True or False: It is possible for an object to move for 10 seconds at a high speed and end up with no overall change in position.
a. True
b. False
5. If the above statement is true, then describe an example of such a motion. If the above statement is false, then explain why it is false.
6. Suppose that you run for 10 seconds along three different paths.


Rank the three paths from the lowest speed to the greatest speed. $\qquad$
Rank the three paths from the lowest velocity to the greatest velocity . $\qquad$

## Calculating Average Speed and Average Velocity

The average speed of an object is the rate at which an object covers distance. The average velocity of an object is the rate at which an object changes its position. Thus,

$$
\text { Ave. } \text { Speed }=\frac{\text { distance }}{\text { time }} \quad \text { Ave. Velocity }=\frac{\text { displacement }}{\text { time }}
$$

Speed, being a scalar, is dependent upon the scalar quantity distance. Velocity, being a vector, is dependent upon the vector quantity displacement.
7. You run from your house to a friend's house that is 3 miles away in 30 minutes. You then immediately walk home, taking 1 hour on your return trip.

a. What was the average speed (in $\mathrm{mi} / \mathrm{hr}$ ) for the entire trip? $\qquad$
b. What was the average velocity (in $\mathrm{mi} / \mathrm{hr}$ ) for the entire trip? $\qquad$
8. A cross-country skier moves from location $A$ to location $B$ to location $C$ to location D. Each leg of the back-and-forth motion takes 1 minute to complete; the total time is 3 minutes.


Calculate the average speed (in $\mathrm{m} / \mathrm{min}$ ) and the average velocity (in $\mathrm{m} / \mathrm{min}$ ) of the skier during the three minutes of recreation. PSYW

Ave. Velocity =
$\qquad$

## Instantaneous Speed vs. Average Speed

The instantaneous speed of an object is the speed which an object has at any given instant. When an object moves, it doesn't always move at a steady pace. As a result, the instantaneous speed is changing. For an automobile, the instantaneous speed is the speedometer reading. The average speed is simply the average of all the speedometer readings taken at regular intervals of time. Of course, the easier way to determine the average speed is to simply do a distance / time ratio.
9. Consider the data at the right for the first 10 minutes of a teacher's trip along the expressway to school. Determine ... a. ... the average speed (in $\mathrm{mi} / \mathrm{min}$ ) for the 10 minutes of motion.
b. ... an estimate of the maximum speed (in mi/min) based on the given data.

| Time (min) | Pos'n (mi) |
| :---: | :---: |
| 0 | 0 |
| 1 | 0.4 |
| 2 | 0.8 |
| 3 | 1.3 |
| 4 | 2.1 |
| 5 | 2.5 |
| 6 | 2.7 |
| 7 | 3.8 |
| 8 | 5.0 |
| 9 | 6.4 |
| 10 | 7.6 |

10. The graph below shows Donovan Bailey's split times for his 100-meter record breaking run in the Atlanta Olympics in 1996.

a. At what point did he experience his greatest average speed for a 10 meter interval? Calculate this speed in $\mathrm{m} / \mathrm{s}$. PSYW
b. What was his average speed (in $\mathrm{m} / \mathrm{s}$ ) for the overall race? PSYW

## Motion in One Dimension

## Problem-Solving:

11. Thirty years ago, police would check a highway for speeders by sending a helicopter up in the air and observing the time it would take for a car to travel between two wide lines placed $1 / 10$ th of a mile apart. On one occasion, a car was observed to take 7.2 seconds to travel this distance.
a. How much time did it take the car to travel the distance in hours?
b. What is the speed of the car in miles per hour?
12. The fastest trains are magnetically levitated above the rails to avoid friction (and are therefore called MagLev trains...cool, huh?). The fastest trains travel about 155 miles in a half an hour. What is their average speed in miles/hour?
13. In 1960, U.S. Air Force Captain Joseph Kittinger broke the records for the both the fastest and the longest sky dive...he fell an amazing 19.5 miles! (Cool facts: There is almost no air at that altitude, and he said that he almost didn't feel like he was falling because there was no whistling from the wind or movement of his clothing through the air. The temperature at that altitude was 36 degrees Fahrenheit below zero!) His average speed while falling was 254 miles/hour. How much time did the dive last?
14. A hummingbird averages a speed of about 28 miles / hour (Cool facts: They visit up to 1000 flowers per day, and reach maximum speed while diving ... up to 100 miles/hour!). Ruby-throated hummingbirds take a 2000 mile journey when they migrate, including a non-stop trip across Gulf of Mexico in which they fly for 18 hours straight! How far is the trip across the Gulf of Mexico?
$\qquad$

## Acceleration

Read from Lesson 1 of the 1-D Kinematics chapter at The Physics Classroom:
http://www.physicsclassroom.com/Class/1DKin/U1L1e.html
MOP Connection: Kinematic Concepts: sublevels 4 and 7

## Review:

The instantaneous velocity of an object is the $\qquad$ of the object with a $\qquad$ .

## The Concept of Acceleration

1. Accelerating objects are objects which are changing their velocity. Name the three controls on an automobile which cause it to accelerate.
2. An object is accelerating if it is moving $\qquad$ . Circle all that apply.
a. with changing speed
b. extremely fast
c. with constant velocity
d. in a circle
e. downward
f. none of these
3. If an object is NOT accelerating, then one knows for sure that it is $\qquad$ .
a. at rest
b. moving with a constant speed
c. slowing down
d. maintaining a constant velocity

## Acceleration as a Rate Quantity

Acceleration is the rate at which an object's velocity changes. The velocity of an object refers to how fast it moves and in what direction. The acceleration of an object refers to how fast an object changes its speed or its direction. Objects with a high acceleration are rapidly changing their speed or their direction. As a rate quantity, acceleration is expressed by the equation:

$$
\text { acceleration }=\frac{\Delta \text { Velocity }}{\text { time }}=\frac{v_{\text {final }}-v_{\text {original }}}{\text { time }}
$$

4. An object with an acceleration of $10 \mathrm{~m} / \mathrm{s}^{2}$ will ___. Circle all that apply.
a. move 10 meters in 1 second
b. change its velocity by $10 \mathrm{~m} / \mathrm{s}$ in 1 s
c. move 100 meters in 10 seconds
d. have a velocity of $100 \mathrm{~m} / \mathrm{s}$ after 10 s
5. Ima Speedin puts the pedal to the metal and increases her speed as follows: $0 \mathrm{mi} / \mathrm{hr}$ at 0 seconds; $10 \mathrm{mi} / \mathrm{hr}$ at 1 second; $20 \mathrm{mi} / \mathrm{hr}$ at 2 seconds; $30 \mathrm{mi} / \mathrm{hr}$ at 3 seconds; and 40 $\mathrm{mi} / \mathrm{hr}$ at 4 seconds. What is the acceleration of Ima's car?
6. Mr. Henderson's (imaginary) Porsche accelerates from 0 to $60 \mathrm{mi} / \mathrm{hr}$ in 4 seconds. Its acceleration is $\qquad$
_.
a. $60 \mathrm{mi} / \mathrm{hr}$
b. $15 \mathrm{~m} / \mathrm{s} / \mathrm{s}$
c. $15 \mathrm{mi} / \mathrm{hr} / \mathrm{s}$
d. $-15 \mathrm{mi} / \mathrm{hr} / \mathrm{s}$ e. none of these
7. A car speeds up from rest to $+16 \mathrm{~m} / \mathrm{s}$ in 4 s . Calculate the acceleration.
8. A car slows down from $+32 \mathrm{~m} / \mathrm{s}$ to $+8 \mathrm{~m} / \mathrm{s}$ in 4 s . Calculate the acceleration.

## Motion in One Dimension

## Acceleration as a Vector Quantity

Acceleration, like velocity, is a vector quantity. To fully describe the acceleration of an object, one must describe the direction of the acceleration vector. A general rule of thumb is that if an object is moving in a straight line and slowing down, then the direction of the acceleration is opposite the direction the object is moving. If the object is speeding up, the acceleration direction is the same as the direction of motion.
9. Read the following statements and indicate the direction (up, down, east, west, north or south) of the acceleration vector.

|  | Description of Motion | Dir'n of <br> Acceleration |
| :--- | :--- | :--- |
| a. | A car is moving eastward along Lake Avenue and increasing its speed <br> from 25 mph to 45 mph. |  |
| b. | A northbound car skids to a stop to avoid a reckless driver. |  |
| c. | An Olympic diver slows down after splashing into the water. |  |
| d. | A southward-bound free quick delivered by the opposing team is <br> slowed down and stopped by the goalie. |  |
| e. | A downward falling parachutists pulls the chord and rapidly slows <br> down. |  |
| f. | A rightward-moving Hot Wheels car slows to a stop. |  |
| g. | A falling bungee-jumper slows down as she nears the concrete <br> sidewalk below. |  |

10. The diagram at the right portrays a Hot Wheels track designed for a phun physics lab. The car starts at point A, descends the hill (continually speeding up from A to B); after a short straight section of track, the car rounds the curve and finishes its run at point $C$. The car continuously slows down from point $B$ to point C. Use this information to complete the following table.


$\qquad$

## Describing Motion with Diagrams

Read from Lesson 2 of the 1-D Kinematics chapter at The Physics Classroom:
http://www.physicsclassroom.com/Class/1DKin/U1L2a.html http://www.physicsclassroom.com/Class/1DKin/U1L2b.html http://www.physicsclassroom.com/Class/1DKin/U1L2c.html

## MOP Connection: Kinematic Concepts: sublevel 5

Motion can be described using words, diagrams, numerical information, equations, and graphs. Using diagrams to describe the motion of objects involves depicting the location or position of an object at regular time intervals.

1. Motion diagrams for an amusement park ride are shown. The diagrams indicate the positions of the car at regular time intervals. For each of these diagrams, indicate whether the car is accelerating or moving with constant velocity. If accelerating, indicate the direction (right or left) of acceleration. Support your answer with reasoning.

2. Suppose that in diagram D (above) the cars were moving leftward (and traveling backwards). What would be the direction of the acceleration? $\qquad$ Explain your answer fully.

## Motion in One Dimension

3. Based on the oil drop pattern for Car A and Car B, which of the following statements are true? Circle all
 that apply.
a. Both cars have a constant velocity.
b. Both cars have an accelerated motion.

c. Car A is accelerating; Car B is not.
d. Car B is accelerating; Car A is not.
e. Car A has a greater acceleration than Car B.
f. Car B has a greater acceleration than Car A.
4. An object is moving from right to left. It's motion is represented by the oil drop diagram below. This
 object has a $\qquad$ velocity and a $\qquad$ acceleration.
$\qquad$
a. rightward, rightward
b. rightward, leftward
c. leftward, rightward
d. leftward, leftward
e. rightward, zero
f. leftward, zero
5. Renatta Oyle's car has an oil leak and leaves a trace of oil drops on the streets as she drives through Glenview. A study of Glenview's streets reveals the following traces. Match the trace with the verbal descriptions given below. For each match, verify your reasoning.


|  | Verbal Description | Diagram |  |
| :--- | :--- | :--- | :--- |
| i. | Renatta was driving with a slow constant speed, decelerated to rest, remained at <br> rest for 30 s, and then drove very slowly at a constant speed. |  |  |
| Reasoning: |  |  |  |
| ii. | Renatta rapidly decelerated from a high speed to a rest position, and then slowly <br> accelerated to a moderate speed. |  |  |
| Reasoning: | Renatta was driving at a moderate speed and slowly accelerated. |  |  |
|  | Reasoning: |  |  |

$\qquad$

## Describing Motion Numerically

Read from Lesson 1 of the 1-D Kinematics chapter at The Physics Classroom:
http://www.physicsclassroom.com/Class/1DKin/U1L1d.html http://www.physicsclassroom.com/Class/1DKin/U1L1e.html

## MOP Connection: Kinematic Concepts: sublevel 8

Motion can be described using words, diagrams, numerical information, equations, and graphs. Describing motion with numbers can involve a variety of skills. On this page, we will focus on the use tabular data to describe the motion of objects.

1. Position-time information for a giant sea turtle, a cheetah, and the continent of North America are shown in the data tables below. Assume that the motion is uniform for these three objects and fill in the blanks of the table. Then record the speed of these three objects (include units).

| Time <br> (hr) | Position <br> (mi) |
| :---: | :---: |
| 0 | 0 |
| 1 | 0.23 |
| 2 | 0.46 |
| 3 | - |
| 4 | 0.92 |
| 5 |  |
| 6 |  |

Speed $=$ $\qquad$

| Time <br> $(\mathrm{s})$ | Position <br> $(\mathrm{m})$ |
| :---: | :---: |
| 0 | 0 |
| 0.5 | 12.5 |
| 1 | - |
| 1.5 | - |
| 2 | - |
| 2.5 | 75.0 |

Speed $=$ $\qquad$

| Time <br> $(\mathrm{yr})$ | Position <br> $(\mathrm{cm})$ |
| :---: | :---: |
| 0 | 0 |
| 0.25 | - |
| 0.50 | 0.50 |
| 0.75 | 0.75 |
| 1.0 | - |
| 1.25 | - |
| 1.5 | 1.5 |

Speed $=$ $\qquad$

2 Motion information for a snail, a Honda Accord, and a peregrine falcon are shown in the tables below. Fill in the blanks of the table. Then record the acceleration of the three objects (include the appropriate units). Pay careful attention to column headings.

| Time <br> (day) | Position <br> $(\mathrm{ft})$ |
| :---: | :---: |
| 0 | 0 |
| 1 | 11 |
| 2 | - |
| 3 | - |
| 4 | - |
| 5 | 66 |

Acceleration $=$ $\qquad$
Honda Accord

| Time <br> $(\mathrm{s})$ | Velocity <br> $(\mathrm{mi} / \mathrm{hr})$ |
| :---: | :---: |
| 0 | $60, \mathrm{E}$ |
| 0.5 | $54, \mathrm{E}$ |
| 1 | - |
| 1.5 | $42, \mathrm{E}$ |
| 2 | - |
| 2.5 | - |
| 3 | $24, \mathrm{E}$ |

Acceleration $=$ $\qquad$
Peregrine Falcon

| Time <br> $(\mathrm{s})$ | Velocity <br> $(\mathrm{m} / \mathrm{s})$ |
| :---: | :---: |
| 0 | 0 |
| 0.25 | -18, down |
| 0.50 | 27, down |
| 0.75 | - |
| 1.0 | -54, down |
| 1.25 |  |

Acceleration $=$ $\qquad$

## Motion in One Dimension

3. Use the following equality to form a conversion factor in order to convert the speed of the cheetah (from question \#1) into units of miles/hour. ( $\mathbf{1} \mathbf{~ m} / \mathrm{s}=\mathbf{2 . 2 4} \mathbf{~ m i} / \mathbf{h r}$ ) PSYW
4. Use the following equalities to convert the speed of the snail (from question \#2) to units of miles per hour. Show your conversion factors.

$$
\text { GIVEN: } \quad 2.83 \times 10^{5} \mathrm{ft} / \text { day }=1 \mathrm{~m} / \mathrm{s} \quad 1 \mathrm{~m} / \mathrm{s}=2.24 \mathrm{mi} / \mathrm{hr}
$$

5. Lisa Carr is stopped at the corner of Willow and Phingsten Roads. Lisa's borrowed car has an oil leak; it leaves a trace of oil drops on the roadway at regular time intervals. As the light turns green, Lisa accelerates from rest at a rate of $0.20 \mathrm{~m} / \mathrm{s}^{2}$. The diagram shows the trace left by Lisa's car as she accelerates. Assume that Lisa's car drips one drop every second. Indicate on the diagram the instantaneous velocities of Lisa's car at the end of each 1-s time interval.

6. Determine the acceleration of the objects whose motion is depicted by the following data.
Data Set A

| $\mathbf{t}(\mathbf{s})$ | $\boldsymbol{\nabla}(\mathbf{m} / \mathbf{s})$ |
| :---: | :---: |
| 0 | 32 |
| 1 | 28 |
| 2 | 24 |
| 3 | 20 |
| 4 | 16 |
| 5 | 12 |
| 6 | 8 |

$\mathrm{a}=$ $\qquad$ $\mathrm{m} / \mathrm{s} / \mathrm{s}$
Data Set B

| $\mathbf{t ( s )}$ | $\mathbf{\nabla}(\mathbf{m} / \mathrm{s})$ |
| :---: | :---: |
| 0 | 12 |
| 0.5 | 10 |
| 1.0 | 8 |
| 1.5 | 6 |
| 2.0 | 4 |
| 2.5 | 2 |
| 3.0 | 0 |

$\mathrm{a}=$ $\qquad$ $\mathrm{m} / \mathrm{s} / \mathrm{s}$
Data Set C

| $\mathbf{t}(\mathbf{s})$ | $\mathbf{\nabla}(\mathbf{m} / \mathbf{s})$ |
| :---: | :---: |
| 0 | 24 |
| 1 | 21 |
| 2 | 18 |
| 3 | 15 |
| 4 | 12 |
| 5 | 9 |
| 6 | 6 |

$\mathrm{a}=$ $\qquad$ $\mathrm{m} / \mathrm{s} / \mathrm{s}$
$\mathrm{a}=$ $\qquad$ $\mathrm{m} / \mathrm{s} / \mathrm{s}$
$\qquad$

## Describing Motion with Position-Time Graphs

Read from Lesson 3 of the 1-D Kinematics chapter at The Physics Classroom:
http://www.physicsclassroom.com/Class/1DKin/U1L3a.html http://www.physicsclassroom.com/Class/1DKin/U1L3b.html http://www.physicsclassroom.com/Class/1DKin/U1L3c.html

## MOP Connection: Kinematic Graphing: sublevels 1-4 (and some of sublevels 9-11)

Motion can be described using words, diagrams, numerical information, equations, and graphs. Describing motion with graphs involves representing how a quantity such as the object's position can change with respect to the time. The key to using position-time graphs is knowing that the slope of a position-time graph reveals information about the object's velocity. By detecting the slope, one can infer about an object's velocity. "As the slope goes, so goes the velocity."

## Review:

1. Categorize the following motions as being either examples of + or - acceleration.
a. Moving in the + direction and speeding up (getting faster)
b. Moving in the + direction and slowing down (getting slower)
c. Moving in the - direction and speeding up (getting faster)
d. Moving in the - direction and slowing down (getting slower)
$\qquad$
$\qquad$

## Interpreting Position-Graphs

2. On the graphs below, draw two lines/curves to represent the given verbal descriptions; label the lines/ curves as A or B.

| A Remaining at rest <br> B Moving |  | A Moving in + direction <br> B Moving in - direction |
| :---: | :---: | :---: |


| A | Moving at constant speed | A | Move in + dirn; speed up |
| :--- | :--- | :--- | :--- | :--- | :--- |
| B | Accelerating | A | Move in - dirn; speed up |
| Move in + dirn; slow dn |  |  |  |
| B |  |  |  |
| Move in - dirn; slow dn |  |  |  |

3. For each type of accelerated motion, construct the appropriate shape of a position-time graph.

| Moving with a + velocity and a + acceleration害 | Moving with a + velocity and a - acceleration <br>  |
| :---: | :---: |

## Motion in One Dimension

| Moving with a - velocity and a + acceleration | Moving with a - velocity and a - acceleration |
| :---: | :---: |
| _ time | time |

4. Use your understanding of the meaning of slope and shape of position-time graphs to describe the motion depicted by each of the following graphs.

|  <br> Verbal Description: |  <br> Verbal Description: |
| :---: | :---: |
|  <br> Verbal Description: |  <br> Verbal Description: |

5. Use the position-time graphs below to determine the velocity. PSYW

|  |  |
| :---: | :---: |
|  |  |

$\qquad$

## Describing Motion with Velocity-Time Graphs

## Read from Lesson 4 of the 1-D Kinematics chapter at The Physics Classroom:

> http://www.physicsclassroom.com/Class/1DKin/U1L4a.html http://www.physicsclassroom.com/Class/1DKin/U1L4b.html http://www.physicsclassroom.com/Class/1DKin/U1L4c.html http://www.physicsclassroom.com/Class/1DKin/U1L4d.html

## MOP Connection: Kinematic Graphing: sublevels 5-8 (and some of sublevels 9-11)

Motion can be described using words, diagrams, numerical information, equations, and graphs. Describing motion with graphs involves representing how a quantity such as the object's velocity $=$ changes with respect to the time. The key to using velocity-time graphs is knowing that the slope of a velocity-time graph represents the object's acceleration and the area represents the displacement.

## Review:

1. Categorize the following motions as being either examples of + or - acceleration.
a. Moving in the + direction and speeding up (getting faster)
b. Moving in the + direction and slowing down (getting slower)
$\qquad$
c. Moving in the - direction and speeding up (getting faster)
d. Moving in the - direction and slowing down (getting slower)
$\qquad$
$\qquad$

## Interpreting Velocity-Graphs

2. On the graphs below, draw two lines / curves to represent the given verbal descriptions; label the lines/ curves as A or B.

| A | Moving at constant speed in - direction <br> Moving at constant speed in + direction | A <br> B | Moving in + direction and speeding up <br> Moving in - direction and speeding up |
| :--- | :--- | :--- | :--- |
|  |  |  |  |


| A | Moving in + direction and slowing down |
| :--- | :--- | :--- | :--- |
| B | Moving in - direction and slowing down | | A |
| :--- |
| B | | Moving with + velocity and - accel'n |
| :--- |
| Moving with + velocity and + accel'n |


| A | Moving with - velocity and - accel'n <br> Moving with - velocity and + accel'n | A <br> B | Moving in + dir'n, first fast, then slow <br> Moving in - dir'n, first fast, then slow |
| :--- | :--- | :--- | :--- |

## Motion in One Dimension

3. Use the velocity-time graphs below to determine the acceleration. PSYW

|  |  |
| :---: | :---: |

4. The area under the line of a velocity-time graph can be calculated using simple rectangle and triangle equations. The graphs below are examples:

## If the area under the line forms a ...

... rectangle, then use area $=$ base*height

... triangle, then use
area $=0.5$ * base*height

$A=(6 \mathrm{~m} / \mathrm{s})^{*}(6 \mathrm{~s})=36 \mathrm{~m}$
$A=0.5^{*}(6 \mathrm{~m} / \mathrm{s})^{*}(6 \mathrm{~s})=\mathbf{1 8} \mathbf{m}$
... trapezoid, then make it into a rectangle + triangle and add the two areas.

$\mathrm{A}_{\text {total }}=\mathrm{A}_{\text {rectangle }}+\mathrm{A}_{\text {triangle }}$

$$
\begin{gathered}
A_{\text {total }}=(2 \mathrm{~m} / \mathrm{s})^{*}(6 \mathrm{~s})+ \\
0.5^{*}(4 \mathrm{~m} / \mathrm{s})^{*}(6 \mathrm{~s})=24 \mathrm{~m}
\end{gathered}
$$

Find the displacement of the objects represented by the following velocity-time graphs.



PSYW:

5. For the following pos-time graphs, determine the corresponding shape of the vel-time graph.
position $\rightarrow$ time
$\qquad$

## Describing Motion Graphically

Study Lessons 3 and 4 of the 1-D Kinematics chapter at The Physics Classroom: http://www.physicsclassroom.com/Class/1DKin/1KinTOC.html
MOP Connection: Kinematic Graphing: sublevels 1-11 (emphasis on sublevels 9-11)

1. The slope of the line on a position vs. time graph reveals information about an object's velocity. The magnitude (numerical value) of the slope is equal to the object's speed and the direction of the slope (upward/+ or downward/-) is the same as the direction of the velocity vector. Apply this understanding to answer the following questions.
a. A horizontal line means $\qquad$ .
b. A straight diagonal line means $\qquad$ .
c. A curved line means $\qquad$
d. A gradually sloped line means $\qquad$ .
e. A steeply sloped line means $\qquad$ -.

2. The motion of several objects is depicted on the position vs. time graph. Answer the following questions. Each question may have less than one, one, or more than one answer.
$\qquad$ a. Which object(s) is(are) at rest?
b. Which object(s) is(are) accelerating?
c. Which object(s) is(are) not moving?
$\qquad$ d. Which object(s) change(s) its direction?
e. Which object is traveling fastest?
$\qquad$ f. Which moving object is traveling slowest?

$\qquad$ g. Which object(s) is(are) moving in the same direction as object B ?
3. The slope of the line on a velocity vs. time graph reveals information about an object's acceleration. Furthermore, the area under the line is equal to the object's displacement. Apply this understanding to answer the following questions.
a. A horizontal line means $\qquad$ .
b. A straight diagonal line means $\qquad$ -.
c. A gradually sloped line means $\qquad$ .
d. A steeply sloped line means $\qquad$ .

4. The motion of several objects is depicted by a velocity vs. time graph. Answer the following questions. Each question may have less than one, one, or more than one answer.
$\qquad$ a. Which object(s) is(are) at rest?
$\qquad$ b. Which object(s) is(are) accelerating?
$\qquad$ c. Which object(s) is(are) not moving?
$\qquad$ d. Which object(s) change(s) its direction?
e. Which accelerating object has the smallest acceleration?
$\qquad$ f. Which object has the greatest acceleration?

$\qquad$ g. Which object(s) is(are) moving in the same direction as object E?

## Motion in One Dimension

5. The graphs below depict the motion of several different objects. Note that the graphs include both position vs. time and velocity vs. time graphs.

Graph A

Graph B

Graph C

Graph D


The motion of these objects could also be described using words. Analyze the graphs and match them with the verbal descriptions given below by filling in the blanks.

| Verbal Description | Graph |
| :--- | :--- | :--- |
| a. The object is moving fast with a constant velocity and then moves slow with a <br> constant velocity. - <br> b.The object is moving in one direction with a constant rate of acceleration <br> (slowing down), changes directions, and continues in the opposite direction <br> with a constant rate of acceleration (speeding up). -  <br> c. The object moves with a constant velocity and then slows down.  <br> d. The object moves with a constant velocity and then speeds up.  <br> e. The object maintains a rest position for several seconds and the slowly <br> accelerates at a constant rate.  $\mathbf{l}$ |  |

6. Consider the position-time graphs for objects A, B, C and D. On the ticker tapes to the right of the graphs, construct a dot diagram for each object. Since the objects could be moving right or left, put an arrow on each ticker tape to indicate the direction of motion.

$A \longrightarrow$
B

$\mathrm{C} \longrightarrow$
$\mathrm{D} \longrightarrow$
7. Consider the velocity-time graphs for objects A, B, C and D. On the ticker tapes to the right of the graphs, construct a dot diagram for each object. Since the objects could be moving right or left, put an arrow on each ticker tape to indicate the direction of motion.

A $\square$
B

C

$\qquad$

## Interpreting Velocity-Time Graphs

The motion of a two-stage rocket is portrayed by the following velocity-time graph.


Several students analyze the graph and make the following statements. Indicate whether the statements are correct or incorrect. Justify your answers by referring to specific features about the graph.

## Student Statement

1. After 4 seconds, the rocket is moving in the negative direction (i.e., down).

Justification: $\qquad$
$\qquad$
2. The rocket is traveling with a greater speed during the time interval from 0 to 1 second than the time interval from 1 to 4 seconds.

Justification: $\qquad$
$\qquad$
3. The rocket changes its direction after the fourth second.

Justification: $\qquad$
$\qquad$
4. During the time interval from 4 to 9 seconds, the rocket is moving in the positive direction (up) and slowing down.

Justification: $\qquad$
$\qquad$
5. At nine seconds, the rocket has returned to its initial starting position.

Justification: $\qquad$
$\qquad$

## Motion in One Dimension

## Graphing Summary

Study Lessons 3 and 4 of the 1-D Kinematics chapter at The Physics Classroom:
http://www.physicsclassroom.com/Class/1DKin/1KinTOC.html
MOP Connection: Kinematic Graphing: sublevels 1-11 (emphasis on sublevels 9-11)


| Constant + Acceleration Object moves in - Direction | Constant - Acceleration Object moves in - Direction | Constant - Acceleration Object moves in + Direction |
| :---: | :---: | :---: |
| Velocity Dir'n: + or Speeding up or Slowing Down? | Velocity Dir'n: + or Speeding up or Slowing Down? | Velocity Dir'n: + or Speeding up or Slowing Down? |
|  |  |  |
|  <br> time |  <br> time |  |

$\qquad$

## Kinematic Graphing - Mathematical Analysis

Study Lessons 3 and 4 of the 1-D Kinematics chapter at The Physics Classroom: http://www.physicsclassroom.com/Class/1DKin/1KinTOC.html

1. Consider the following graph of a car in motion. Use the graph to answer the questions.

a. Describe the motion of the car during each of the two parts of its motion.

0-5 s: $\qquad$
5-15 s: $\qquad$
b. Construct a dot diagram for the car's motion.
c. Determine the acceleration of the car during each of the two parts of its motion.

$$
\underline{0-5 \mathrm{~s}} \underline{\underline{5-15 \mathrm{~s}}}
$$

d. Determine the displacement of the car during each of the two parts of its motion.

$$
\underline{0-5 \mathrm{~s}}
$$

5-15 s
e. Fill in the table and sketch position-time for this car's motion. Give particular attention to how you connect coordinate points on the graphs (curves vs. horizontals vs. diagonals).

| Time (s) | Pos'n (m) |
| :---: | :---: |
| 0 | 0 |
| 5 |  |
| 10 |  |
| 15 |  |

## Motion in One Dimension

2. Consider the following graph of a car in motion. Use the graph to answer the questions.

a. Describe the motion of the car during each of the four parts of its motion.

0-10 s: $\qquad$
$10-20 \mathrm{~s}$ : $\qquad$
20-30 s: $\qquad$
30-35 s: $\qquad$
b. Construct a dot diagram for the car's motion.
c. Determine the acceleration of the car during each of the four parts of its motion. PSYW
$\underline{0-10 \mathrm{~s}}$
10-20 s
20-30 s
30-35 s
d. Determine the displacement of the car during each of the four parts of its motion. PSYW

$$
\begin{array}{llll}
\underline{0-10 \mathrm{~s}} & \underline{10-20 \mathrm{~s}} & \underline{20-30 \mathrm{~s}} & \underline{30-35 \mathrm{~s}}
\end{array}
$$

e. Fill in the table and sketch position-time for this car's motion. Give particular attention to how you connect coordinate points on the graphs (curves vs. horizontals vs. diagonals).

| Time (s) | Pos'n (m) |
| :---: | :---: |
| 0 | 0 |
| 5 |  |
| 10 |  |
| 15 |  |
| 20 |  |
| 25 |  |
| 30 |  |
| 35 |  |


$\qquad$

## Describing Motion with Equations

Read from Lesson 6 of the 1-D Kinematics chapter at The Physics Classroom:

> http://www.physicsclassroom.com/Class/1DKin/U1L6a.html http://www.physicsclassroom.com/Class/1DKin/U1L6b.html http://www.physicsclassroom.com/Class/1DKin/U1L6d.html

## MOP Connection: None

Motion can be described using words, diagrams, numerical information, equations, and graphs.
Describing motion with equations involves using the three simple equations for average speed, average velocity, and average acceleration and the more complicated equations known as kinematic equations.

## Definitional Equations:

$$
\text { Average Speed }=\frac{\text { distance traveled }}{\text { time }} \quad \text { Average Velocity }=\frac{\text { displacement }}{\text { time }}
$$

$$
\text { Acceleration }=\frac{\text { change in velocity }}{\text { change in time }}
$$

## Kinematic Equations:

You should be able to use the following kinematic equations to solve problems. These equations appropriately apply to the motion of objects traveling with a constant acceleration.

$$
v_{f}=v_{i}+\mathbf{a t} \quad d=\frac{v_{i}+v_{f}}{2} t \quad d=v_{i} t+\frac{1}{2} a^{2} \quad v_{f}^{2}=v_{i}^{2}+2 a d
$$

## Motion in One Dimension

## A Note on Problem Solving

A common instructional goal of a physics course is to assist students in becoming better and more confident problem-solvers. Not all good and confident problem-solvers use the same approaches to solving problems. Nonetheless, there are several habits which they all share in common. While a good problem-solver may not religiously adhere to these habitual practices, they become more reliant upon them as the problems become more difficult. The list below describes some of the habits which good problem-solvers share in common. The list is NOT an exhaustive list; it simply includes some commonly observed habits which good problem-solvers practice.

## Habit \#1-Reading and Visualizing

All good problem-solvers will read a problem carefully and make an effort to visualize the physical situation. Physics problems begin as word problems and terminate as mathematical exercises. Before the mathematics portion of a problem begins, a student must translate the written information into mathematical variables. A good problem-solver typically begins the translation of the written words into mathematical variables by an informative sketch or diagram which depicts the situation.

## Habit \#2- Organization of Known and Unknown Information

Physics problems begin as word problems and terminate as mathematical exercises. During the algebraic/mathematical part of the problem, the student must make substitution of known numerical information into a mathematical formula (and hopefully into the correct formula ). Before performing such substitutions, the student must first equate the numerical information contained in the verbal statement with the appropriate physical quantity. It is the habit of a good problem-solver to conduct this task by writing down the quantitative information with its unit and symbol in an organized fashion, often recording the values on their diagram.

## Habit \#3 - Plotting a Strategy for Solving for the Unknown

Once the physical situation has been visualized and diagrammed and the numerical information has been extracted from the verbal statement, the strategy plotting stage begins. More than any other stage during the problem solution, it is during this stage that a student must think critically and apply their physics knowledge. Difficult problems in physics are multi-step problems. The path from known information to the unknown quantity is often not immediately obvious. The problem becomes like a jigsaw puzzle; the assembly of all the pieces into the whole can only occur after careful inspection, thought, analysis, and perhaps some wrong turns. In such cases, the time taken to plot out a strategy will pay huge dividends, preventing the loss of several frustrating minutes of impulsive attempts at solving the problem.

## Habit \#4 - Identification of Appropriate Formula(e)

Once a strategy has been plotted for solving a problem, a good problem-solver will list appropriate mathematical formulae on their paper. They may take the time to rearrange the formulae such that the unknown quantity appears by itself on the left side of the equation. The process of identifying formula is simply the natural outcome of an effective strategy-plotting phase.

## Habit \#5 - Algebraic Manipulations and Operations

Finally the mathematics begins, but only after the all-important thinking and physics has occurred. In the final step of the solution process, known information is substituted into the identified formulae in order to solve for the unknown quantity.

It should be observed in the above description of the habits of a good problem-solver that the majority of work on a problem is done prior to the performance of actual mathematical operations. Physics problems are more than exercises in mathematical manipulation of numerical data. Physics problems require careful reading, good visualization skills, some background physics knowledge, analytical thought and inspection and a lot of strategy-plotting. Even the best algebra students in the course will have difficulty solving physics problems if they lack the habits of a good problem-solver.
$\qquad$

## Motion Problems

Read from Lesson 6 of the 1-D Kinematics chapter at The Physics Classroom:

> http://www.physicsclassroom.com/Class/1DKin/U1L6a.html http://www.physicsclassroom.com/Class/1DKin/U1L6b.html http://www.physicsclassroom.com/Class/1DKin/U1L6c.html http://www.physicsclassroom.com/Class/1DKin/U1L6d.html

## MOP Connection: None

Show your work on the following problems.

1. An airplane accelerates down a run-way at $3.20 \mathrm{~m} / \mathrm{s}^{2}$ for 32.8 s until is finally lifts off the ground. Determine the distance traveled before take-off.
2. A race car accelerates uniformly from $18.5 \mathrm{~m} / \mathrm{s}$ to $46.1 \mathrm{~m} / \mathrm{s}$ in 2.47 seconds. Determine the acceleration of the car and the distance traveled.
3. A feather is dropped on the moon from a height of 1.40 meters. The acceleration of gravity on the moon is $1.67 \mathrm{~m} / \mathrm{s}^{2}$. Determine the time for the feather to fall to the surface of the moon.
4. A bullet leaves a rifle with a muzzle velocity of $521 \mathrm{~m} / \mathrm{s}$. While accelerating through the barrel of the rifle, the bullet moves a distance of 0.840 m . Determine the acceleration of the bullet (assume a uniform acceleration).

## Motion in One Dimension

5. An engineer is designing a runway for an airport. Several planes will use the runway and the engineer must design it so that it is long enough for the largest planes to become airborne before the runway ends. If the largest plane accelerates at $3.30 \mathrm{~m} / \mathrm{s}^{2}$ and has a takeoff speed of $88.0 \mathrm{~m} / \mathrm{s}$, then what is the minimum allowed length for the runway?
6. A student drives $4.8-\mathrm{km}$ trip to school and averages a speed of $22.6 \mathrm{~m} / \mathrm{s}$. On the return trip home, the student travels with an average speed of $16.8 \mathrm{~m} / \mathrm{s}$ over the same distance. What is the average speed (in $\mathrm{m} / \mathrm{s}$ ) of the student for the two-way trip? (Be careful.)
7. Rennata Gas is driving through town at $25.0 \mathrm{~m} / \mathrm{s}$ and begins to accelerate at a constant rate of -1.0 $\mathrm{m} / \mathrm{s}^{2}$. Eventually Rennata comes to a complete stop. Represent Rennata's accelerated motion by sketching a velocity-time graph. Use kinematic equations to calculate the distance which Rennata travels while decelerating. Then use the velocity-time graph to determine this distance. PSYW
8. Otto Emissions is driving his car at $25.0 \mathrm{~m} / \mathrm{s}$. Otto accelerates at $2.0 \mathrm{~m} / \mathrm{s}^{2}$ for 5 seconds. Otto then maintains a constant velocity for 10 more seconds. Determine the distance which Otto traveled during the entire 15 seconds. (Consider using a velocity-time graph.)
9. Chuck Wagon travels with a constant velocity of 0.5 mile/minute for 10 minutes. Chuck then decelerates at $-.25 \mathrm{mile} / \mathrm{min}^{2}$ for 2 minutes. Determine the total distance traveled by Chuck Wagon during the 12 minutes of motion. (Consider using a velocity-time graph.)
$\qquad$

## Free Fall

Read Sections a, b and d from Lesson 5 of the 1-D Kinematics chapter at The Physics Classroom: http://www.physicsclassroom.com/Class/1DKin/U1L5a.html
MOP Connection: None

1. A rock is dropped from a rest position at the top of a cliff and free falls to the valley below. Assuming negligible air resistance, use kinematic equations to determine the distance fallen and the instantaneous speeds after each second. Indicate these values on the odometer (distance fallen) and the speedometer views shown to the right of the cliff.

Show a sample calculation below:
2. At which of the listed times is the acceleration the greatest? Explain your answer.
3. At which of the listed times is the speed the greatest? Explain your answer.
4. If the falling time of a free-falling object is doubled, the distance fallen increases by a factor of
$\qquad$ . Identify two times and use the distance fallen values to support your answer.


## Motion in One Dimension

5. Miss E. deWater, the former platform diver of the Ringling Brothers' Circus, dives from a 20-meter high platform into a shallow bucket of water (see diagram at right).
a. State Miss E. deWater's acceleration as she is falling from the platform. $\qquad$ What assumption(s) must you make in order to state this value as the acceleration? Explain.
b. The velocity of Miss E. deWater after the first half second of fall is represented by an arrow. The size or length of the arrow is representative of the magnitude of her velocity. The direction of the arrow is representative of the direction of her velocity. For the remaining three positions shown in the diagram, construct an arrow of the approximate length to represent the velocity vector.
c. Use kinematic equations to fill in the table below.

| Time (s) | Yel. (m/s) | Dist. Fallen (m) | Ht (m) |
| :---: | :---: | :---: | :---: |
| 0 | 0 | 0 | 20 |
| 0.5 |  |  |  |
| 1.0 |  |  |  |
| 1.5 |  |  |  |
| 2.0 |  |  |  |



Show your work below for one of the rows of the table.
6. Michael Jordan was said to have a hang-time of 3.0 seconds (at least according to NIKE). Use kinematic equations to determine the height to which MJ could leap if he had a hang-time of 3.0 seconds.
$\qquad$

## Name That Motion Activity

Directions:

1. Open an internet browser and find your way to the following URL in the Shockwave Physics Studios section of The Physics Classroom web site.
http:/ / www.physicsclassroom.com/shwave/ namethat.html
2. From the opening screen, click on the Continue button to $\log$ on and begin the activity.
3. Enter your first and last name. If working with a partner (recommended), enter their first and last name. Then click the Start button.

## Enter your first and last name.

First Name: Whn Last Name: Doe

If worlingwith a partner on this activity, then enter your partner's first and last name.
Partner's First Name: 隹e Patner's Last Name: Doen
4. Use the on-screen buttons (A-K, Replay, Erase, Check Answers) and field to complete the activity.

Name That Motion
Nama: Johm Dos [D:- Fortnas:[2Ta Dou

DIP: metreson minploin, dicko thecheck havers bution.



$\square$



## Motion in One Dimension

The 11 verbal statements below must be matched to the 11 animations seen on the screen. Once all 11 matches have been made, you will be able to check your answers. You will be given feedback and can make alterations until all your answers are perfect.

Verbal Statements:

1. The object moves with a positive velocity and a positive acceleration.
2. The object moves with a constant negative velocity. Then, the object remains at rest for several seconds. Finally, the object moves with positive acceleration.
3. The object moves with a constant negative velocity.
4. The object moves with a negative velocity. Then, the object remains at rest for several seconds. Finally, the object moves with a low constant speed.
5. The object moves with constant speed in the positive direction.
6. The object slowly accelerates from rest. Then, the object remains at rest for several seconds. Finally, the object moves with a constant negative velocity.
7. The object moves at constant speed. Then, the object remains at rest for several seconds. Finally, the object moves with a constant negative velocity.
8. The object moves in the positive direction with a negative acceleration.
9. The object moves in the negative direction with a negative acceleration.
10. The object moves with a low speed for a short time interval. Then the object remains at rest for several seconds. Finally, the object rapidly accelerates with a positive acceleration.
11. The object moves with a negative velocity and a positive acceleration.

Use the space below to assist in organizing your answers and making corrections. The first two rows are provided as examples.

$\qquad$

## Graph That Motion Activity

## Directions:

1. Open an internet browser and find your way to the following URL in the Shockwave Physics Studios section of The Physics Classroom web site.
http:/ / www.physicsclassroom.com / shwave/graphthat.html
2. From the opening screen, click on the Continue button to $\log$ on and begin the activity.
3. Enter your first and last name. If working with a partner (recommended), enter their first and last name. Then click the Start button.
Enter your first and last name.
First Name: Wohn Last Name: Doe

If workingwith a partner on this activity, then enter your partner's first and last name.
Partner's Fist Name: lane
Patner's Last Name: Doe
4. Use the on-screen buttons (A-K, Replay, Erase, Check Answers) and field to complete the activity.

## Graph That Motion

Name: John Doe ID: -- Paxtnex: Jane Doe

DIRECTIONS: Hatch each of the 11motions to th appropriate graph as found on your lab worksheet. Type the number of the graph into the bos at
 the right. When all 11 motions arematched, click the Check Answers button.


Use the buttons below to view a different motion and match it to a graph.


## Motion in One Dimension

The 11 graphs below must be matched to the 11 animations. Once all 11 matches have been made, you will be able to check your answers. You will be given feedback and can make alterations until all your answers are perfect. Inform your teacher when you have completed the activity or decide to quit.

Graph 1


Graph 4


Graph 7


Graph 10


Graph 2


Graph 5


Graph 8


Graph 11


Use the table to assist in organizing answers and making corrections. The first two rows are examples.


## Two Stage Rocket Activity

## Background and Purpose:

In this activity, you will analyze the motion of a two-stage rocket. The two-stage rocket has two separate fuel stages which provide a different acceleration. After the second fuel stage is burned out, the rocket is under the sole influence of the force of gravity. Like a Fourth of July fireworks rocket, it is pre-programmed to explode at a specific time.

The purpose of this activity is to apply the principles of the graphical description of motion in order to graphically analyze the motion of the two-stage rocket. Once you have completed the activity, you have the option to take a short online quiz which targets your understanding of position-time and velocity-time graphs. The quiz will be related to the questions shown below.

## Getting Ready:

Open an Internet browser and navigate to the Two Stage Rocket activity found in the Shockwave Physics Studios section of The Physics CLassroom web site.

## Procedure and Questions:

1. Navigate to the Two Stage Rocket Animation and experiment with the on-screen buttons in order to gain familiarity with the control of the animation. The animation can be started, paused, continued, single-stepped or rewound. Coordinate points on the graphs are displayed as the mouse is rolled over it.

After gaining familiarity with the program, use it to answer the following questions:
2. State the time interval for the various stages of the rocket's motion.

> Stage 1: ___ sec to ____ sec

Stage 2:___ sec to $\qquad$ sec

No Fuel: $\qquad$ sec to $\qquad$ sec

Rocket Explodes at $\qquad$ sec

## Conceptual Analysis:

3. In what direction (up or down) is the rocket moving at each of the following times?
$\qquad$
$\qquad$
4. In what direction (up or down) is the rocket accelerating at each of the following times? $t=3 \mathrm{~s} \quad \mathrm{t}=10 \mathrm{~s} \quad \mathrm{t}=18 \mathrm{~s} \quad \mathrm{t}=25 \mathrm{~s}$ $\qquad$
5. Is the rocket ever moving in one direction and accelerating in the opposite direction? $\qquad$
If No, then explain why it never does.

If Yes, then this occurs when the rocket is ...
a. moving upward during stage 1 and stage 2 .
b. moving upward after stage 2 has ended.
c. moving downward after stage 2 has ended.
d. moving (both upward and downward) after stage 2 has ended.
6. How does the acceleration of the rocket during stage 1 compare to its value during stage 2 ?
a. The acceleration is greatest during stage 1 .
b. The acceleration is greatest during stage 2 .
c. The acceleration are the same.
d. The acceleration varies during the stage and it is impossible to answer.

## Motion in One Dimension

7. How does the velocity of the rocket during stage 1 compare to its value during stage 2 ?
a. The velocity is greatest during stage 1 .
b. The velocity is greatest during stage 2 .
c. The velocity are the same.
d. The velocity varies during the stage and it is impossible to answer.
8. What statement best describes the changes observed of the rocket and its velocity vector after the second stage ends and there is no fuel left to power the rocket?
a. The rocket changes direction and its velocity vector continually decreases in magnitude.
b. The rocket moves upward, then changes direction; the velocity continually decreases in magnitude.
c. The rocket moves upward, then changes direction; the velocity first increases and then decreases in magnitude.
d. The rocket moves upward, then changes direction; the velocity first decreases and then increases in magnitude.
9. At what time does the rocket change its direction? $\qquad$ seconds
10. What is the acceleration value of the rocket when it is at its peak height? $\qquad$
11. What is the velocity value of the rocket when it is at its peak height? $\qquad$ $\mathrm{m} / \mathrm{s}$
12. Observe the acceleration of the rocket during the no-fuel stage of its motion.
a. Is it constant or changing? $\qquad$
b. What is its direction? $\qquad$
c. What is its magnitude (i.e., numerical value)? $\qquad$

## Graphical/Mathematical Analysis:

13. A velocity-time graph is shown at the right. Sketch the graph for your rocket's motion (as displayed on the screen). Be accurate and show strategic coordinates - for example, at the end of stage 1 and stage 2 and at the rocket's peak position. These coordinates can be read off the screen by moving your mouse over the graphical display.

End of stage 1: $(\mathrm{t}, \mathrm{v})=$ $\qquad$
End of stage 2: $(\mathrm{t}, \mathrm{v})=$ $\qquad$
When crossing axis: $(\mathrm{t}, \mathrm{v})=$ $\qquad$

Velocityvs. Time

$\qquad$
14. On the graph above, put a bold $\operatorname{dot}()$ at the location that the rocket changes its direction. Clearly label the dot with the words Peak. (This is a question similar to \#9.)
15. Use coordinates which you listed above to calculate the slopes of the lines on the graph during stage 1, stage 2 and the no fuel stage. Show your work clearly.

| Stage 1 |  |
| :---: | :--- |
| Stage 2 |  |
| No-Fuel Stage |  |

16. Compare the slopes of the lines on the velocity vs. time plot (as calculated above) to the acceleration of the rocket.

|  | Accel'n Value | Slopes of v-t Graph |
| :---: | :---: | :---: |
| Stage 1 |  |  |
| Stage 2 |  |  |
| No-Fuel Stage |  |  |

What do you suppose the slope of a line on a velocity-time plot represents?
17. Use coordinates which you listed above to calculate the area between the lines on the graph and the time axis during stage 1 , stage 2 and the no fuel stage (both while rising and while falling). Show your work clearly.

| Stage 1 | $\mathrm{A}_{1}=$ |
| :---: | :--- |
| Stage 2 | $\mathrm{A}_{2}=$ |
| No-Fuel (Rising) | $\mathrm{A}_{3}=$ |
| No-Fuel (Falling) | $\mathrm{A}_{4}=$ |

## Motion in One Dimension

18. Compare the cumulative areas at the end of the various phases of motion to the heights of the rocket at the corresponding times. If necessary, re-run the animation and Single Step to the end of each stage or roll the mouse over the position-time plot to obtain height values.

|  | Height Value | Cumulative Area |
| :---: | :---: | :---: |
| End of Stage 1 |  | $\mathrm{A}_{1}=$ |
| End of Stage 2 |  |  |$\quad$|  |
| :---: | :---: |
| At the peak of |
| motion |$\quad$| $\mathrm{A}_{1}+\mathrm{A}_{2}=$ |  |
| :---: | :---: |
| At the time of |  |
| explosion |  |
| $\mathrm{A}_{1}+\mathrm{A}_{2}+\mathrm{A}_{3}+\mathrm{A}_{4}=$ |  |

What do you suppose the area between the line and the time axis on a velocity-time plot represents?

